

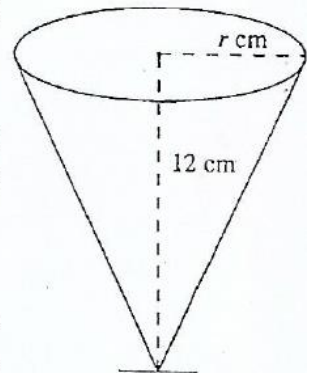
O/L Past papers (Logarithms, Area & Volume of solids)

O/L Examination, December 2008

9. (i) A right circular cylindrical vessel with internal base radius 7 cm and height 15 cm is filled with water up to a height of 10 cm. Calculate the volume of the water. (Take $\pi = \frac{22}{7}$)
- (ii) When 18 small solid metal spheres of radius a cm, are put into the above vessel, its water level goes up by h . Show that $h = \frac{24a^3}{49}$ cm.
- (iii) Using logarithms, find the value of h to one decimal place when $a = 1.75$.

O/L Examination, December 2009

5. A conical shaped glass vessel of base radius r cm and height 12 cm was kept as shown in the figure and filled with water.
- (i) Show that the volume of water in the glass vessel is $4\pi r^2$ cm³.
- (ii) The water in the vessel is now poured into an empty cubic shaped vessel that has a square base of side a cm. The water fills the cubic shaped vessel up to a height of b cm. Show that $a^2 = \frac{4\pi r^2}{b}$.
- (iii) Taking that $4\pi = 12.56$, $r = 9.57$ and $b = 18$, and using logarithmic tables, find the value of a^2 to the nearest whole number and then obtain the value of a .



O/L Examination, December 2010

6. (a) A prism with cross-sectional area a^2 and height b is made out of the metal obtained by melting a solid metal cylinder of base radius a and height $2a$, without any wastage of metal.
- (i) Obtain the volume of the cylinder in terms of a
- (ii) Show that the height of the prism, $b = 2\pi a$
- (b) Using logarithm tables, simplify : $\frac{(7.432)^2 \times 0.253}{2.343}$

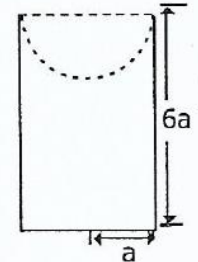
O/L Examination, December 2011

12. (a) The height of a solid right circular metal cone of base radius a is $3a$.
- (i) Show that the volume of the cone is πa^3
- (ii) Find how many solid spheres of radius $\frac{a}{2}$ can be made without waste from the metal obtained by melting the cone.
- (iii) Find the volume of one such metal sphere in terms of a .
- (b) Simplify by using the logarithm tables : $\frac{0.523 \times \sqrt{63.5}}{(1.35)^2}$

O/L Past papers (Logarithms, Area & Volume of solids)

O/L Examination, December 2012

6. (a) A solid hemispherical portion of radius a is carved away from a solid right-circular wooden cylinder of base radius a and height $6a$. Show that the remaining volume of wood in the cylinder is equal to the volume of 4 solid spheres each of radius a .



- (b) Simplify $\frac{0.735 \times \sqrt{52.62}}{(1.84)^2}$ using logarithmic tables and give the answer to **two** nearest decimal places.

O/L Examination, December 2013

6. (a) A container of the shape of a cuboid with a square bottom of each side $3a$ centimetres and height h centimetres, is filled with water to a height of x centimetres from the bottom.

- (i) Write an algebraic expression for the volume of water (in cubic centimetres) in the container, in terms of a and x .

A solid right circular cylinder of base radius a centimetres and height a centimetres is completely immersed in the water of the above container.

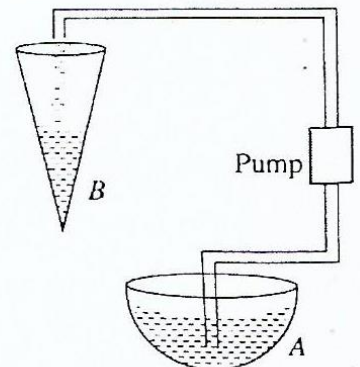
- (ii) Find the volume (in cubic centimetres) of the cylinder in terms of a and π .
- (iii) If the water of the container reaches the spilling level after immersion of the cylinder, then show that $9(h - x)\pi a$.

- (b) Simplify using the logarithmic tables: $\frac{\sqrt{0.0463}}{(1.08)^2} \times 34.83$

O/L Examination, December 2014

6. (a) Water is pumped at a constant rate of 6 cubic centimetres per second from a hemispherical container A filled to its full capacity, into an empty container B of the shape of a right circular cone. The height of the container B is 14 cm. Use $\frac{22}{7}$ for π in the following calculations.

- (i) If the container B is filled to its full capacity in 22 seconds, show that the capacity of the container B is 132 cm^3 and find its radius.
- (ii) The pump keeps working even after the container B is full. If the radius of the container A is r centimetres, show that the total time it takes to empty the container A is $\frac{22}{63} r^3$ seconds.



- (b) Find the value, using logarithmic tables: $1.52 \times \sqrt{415}$